## Parent Functions \#8

Name of Graph: $\qquad$

Equation: $\qquad$

| $x$ | $f(x)$ |
| :--- | :--- |
|  |  |
|  |  |
|  |  |


$\qquad$ Transformation Equation: $\qquad$

Inverse function:
$b=$
$c=$

$$
h=
$$

$$
k=
$$

## Parent Functions \#8

Name of Graph: $\qquad$

## Key Features

Equation: $\qquad$

| $x$ | $f(x)$ |
| :--- | :--- |
|  |  |
|  |  |
|  |  |



Domain:
Range:
$x$-intercept(s):
$y$-intercept:
Increasing:
Decreasing:
Constant:
Euler's Number:

Positive:
Negative:
Maximums /Minimums
Symmetry:
End Behavior:
$\lim _{x \rightarrow-\infty} f(x)=$ $\lim _{x \rightarrow \infty} f(x)=$
$\qquad$ Transformation Equation: $\qquad$
Inverse function:

$$
b=
$$

$$
c=
$$

$$
h=
$$

$$
k=
$$

## Steps for solving an exponential equation:

## Way 1

1. get the bases the same
2. If the bases are the same, then the exponents are the same.

So set the exponents equal to each other
3. solve for the variable

EX. $\quad \frac{1}{5}=125^{x-2}$

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1. get the base and exponent by itself
2. do inverse of exponential (write a log using "swirl")
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EX. $\quad 15=3(2)^{x+2}-1$

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