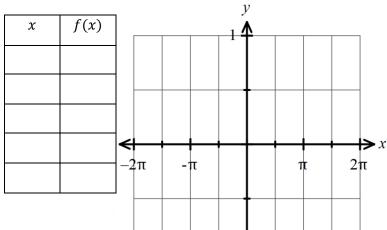
Parent Functions #10

Name of Graph: _____

Key Features

Equation: _____



Domain:

Range: Negative:

x-intercept(s): Maximums /Minimums

Positive:

y-intercept: Symmetry:

Increasing: End Behavior:

Decreasing: $\lim_{x \to -\infty} f(x) =$

Constant: $\lim_{x \to \infty} f(x) =$

Amplitude: Phase Shift:

Period: Vertical Shift:

Midline:

Cycle:

Transformation Equation:

Period formula: amplitude formula:

Vertical Shift formula:

Parent Functions #10

Name of Graph: _____

Key Features

Equation:

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Transformation Equation:

Period formula: amplitude formula:

Vertical Shift formula:

Steps for solving sine equation:

- 1. Get sine by itself—do inverse operations
- 2. Use "All Students Take Calculus" to draw triangles in correct quadrants
- 3. Label the sides of the triangles—opposite over hypotenuse
- 4. Find the reference angle
- 5. Find the angles in standard position

Stop here if you are given an interval in the directions

EX.
$$2\sqrt{3} - 6\sin x = 5\sqrt{3}$$

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EX. $-2\sin x = 1$

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